## **Experimental report**

Proposal: 4	-02-576			<b>Council:</b> 10/20	)19	
Title:	Superconductivity induced gain of exchange energy in optimum Co-dopedBaFe2As2					
Research area: Physics						
This proposal is a new proposal						
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Samples: Ba(Fe0.94Co0.06)2As2						
Instrument		Requested days	Allocated days	From	То	
IN20		7	7	12/08/2020	24/08/2020	
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We propose to study the change in exchange energy – or equivalently the change in fluctuating momen – for an optimum electron doped Fe-based superconductor, Ba(Fe0.94Co0.06)2As2. So far rough estimates were obtained for hole doped Fe-based superconductors, but a precise determination should take the anisotropies, the L-dispersion and the change in Q widths into account. Ba(Fe0.94Co0.06)2As2 is best studied due its high Tc, good knowledge from previous experiments and due to the availability of a large crystal.

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## Superconductivity induced gain of exchange energy in optimum Co-dopedBaFe<sub>2</sub>As<sub>2</sub>

The emergence of the spin-resonance modes (SRM) in the superconducting (SC) states of unconventional superconductors is taken as one of the main arguments in favor of magnetically mediated pairing [1]. In Fe-based SCs inelastic neutron scattering (INS) experiments reveal a complex character of the SRMs in almost every studied compound; for a recent summary see [2,4]. For optimum 6% Co-doped BaFe<sub>2</sub>As<sub>2</sub> there is a splitting in an anisotropic lower-energy SRM with some three-dimensional character (as its amplitude sharply depends on the l-component of the scattering vector) and a broader SRM at higher energies, E, that is isotropic [2,3]. Similar observations were reported for Co-doped NaFeAs, for K-doped Ba Fe<sub>2</sub>As<sub>2</sub> as well as for Ni- and P-doped Ba Fe<sub>2</sub>As<sub>2</sub>, see [2-5] and references, so that split and anisotropic SRMs must be considered as the ubiquitous response. The anisotropy of SRMs must be attributed to spin-orbit coupling, which also manifests itself in the reorientation of magnetic structure in hole underdoped Ba Fe<sub>2</sub>As<sub>2</sub> [6].

Some understanding of the anisotropic and split SRMs in doped BaFe<sub>2</sub>As<sub>2</sub> has been obtained by full treatment of spin-orbit coupling in the electronic structure [7]. Scherer et al. qualitatively reproduce the main findings of the anisotropic SRMs, such as the primarily c-orientation, splitting of the modes and enhancement of anisotropy in the SC state [7], but the agreement is not quantitative at all. For example, they also find strong anisotropy for the high-energy SRMs, which are nearly isotropic in all systems studied. Furthermore, the relation between the anisotropic SRMs and the coexisting antiferromagnetic ordering has not been addressed, but our most recent experiments on Na-doped Ba Fe<sub>2</sub>As<sub>2</sub> demonstrate a very close relation [4].

The SRMs represent a clear enhancement of spectral weight in the SC state and thus a gain of magnetic exchange energy, Eexch [8]. In the Heisenberg model  $E_{exch}$  corresponds to  $Eexch=\Sigma J_{ij}<S_iS_j>$  summing over pairs of spins interacting through  $J_{ij}$ ; and the mean value  $<S_iS_j>$  can be obtained from the integration of the generalized dynamic susceptibility  $\chi''(q,E)$  over the Brillouin zone and energy. The gain in  $E_{exch}$ ,  $\Delta E_{exch}$ , has been determined for cuprates and  $CeCu_2Si_2$  and it is extensively discussed in the review article by Scalapino [8]. In both cases  $\Delta E_{exch}$  is about one order of magnitude larger compared to the SC condensation energy (determined by specific heat) underlining the large pairing potential of magnetic fluctuations.

For Fe-SCs the determination of  $\Delta E_{exch}$  is difficult, because fluctuations are anisotropic and Ldispersive, and because they sharpen across Tc. Neglecting anisotropies and sharpening Wang et al. report ΔE<sub>exch</sub> =0.7meV for 33% hole K-doped Ba Fe<sub>2</sub>As<sub>2</sub> using TOF data; again ΔE<sub>exch</sub> is almost an order of magnitude higher than the condensation energy. For 39% Na hole-doped BaFe2As2 we made a rough estimate with unpolarized INS data again resulting in an order of magnitude compared to the condensation energy [4]. A more accurate determination taking into account the anisotropies, the finite L-dispersion and the q-sharpening of  $\chi''(q, E)$  in the SC phase seems highly desirable in particular for an electron doped material not analyzed at all so far. The theoretical understanding of SRMs in Fe-based SCs needs to be improved, see above, and the changes in fluctuating moment (in absolute units) and in E<sub>exch</sub> are well-defined entities to verify any theories. The aim of the new experiment was to obtain a quantitative estimation of the  $\Delta E_{exch}$  by using neutron polarization analysis. Only with the polarizations analysis it seems possible to determine the background in sufficient precision. In order to obtain a quantitative result it is necessary to study the E dependence of the magnetic correlations not only at the AFM zone centers but also at different  $q_L$  values of the scattering vector. In addition one needs information about the width of the correlations parallel to the planes.

For the determination of the gain of antiferromagnetic exchange energy  $\Delta E_{exch}$  as an essential part of the superconducting condensation energy, we performed an INS experiment on the optimum electron Co-doped Ba(Fe<sub>1-x</sub>Co<sub>x</sub>)<sub>2</sub>As<sub>2</sub> sample with x=0.06. The large sample consists of three coaligned crystals with a total mass of ~2.85g and was already used in previous INS experiments; it was mounted in the [110]/[001] scattering plane. The longitudinal polarization analysis using the CryoPAD setup was used for separating the nuclear cross-section and individual components of the magnetic cross-section. The frame of the experiment seen in Fig.1(a) consists of X-axis directed parallel to the scattering vector **Q**, Z-axis perpendicular to the scattering plane and Y-axis ranged within the scattering plane and perpendicularly to both X and Z axes. One non-spin-flip (NSFx) and three spin-flip (SFx, SFy and SFz) cross-sections were collected. As the superconducting transition temperature for this sample was determined at T<sub>c</sub>= 24K [3], the two sets of E- and Q-scans were collected at temperatures of 2 and 26K, above and below T<sub>c</sub> respectively. The experiment ran in remote-mode due to Corona-Virus restrictions at the ILL.



**Figure 1**. (a) Scattering geometry with reference frame for longitudinal polarization analysis. (b) and (c) Examples of polarized raw-data E-scans collected at Q=(0.5,0.5,1) at 2 and 26K, respectively.

A typical set of four cross-sections (NSFx, SFx, Sfy and SFz) collected at Q=(0.5,0.5,1) at temperature of 2K is shown in Fig.1(b). The NSFx channel measured for polarization parallel to X-axis was used for check of eventual nuclear contamination, as the nuclear scattering is always a NSF process. For all collected sets of data the NSFx intensities revel only a smooth variation without pronounced features indicating the absence of nuclear contributions in the studied ( $\mathbf{Q}$ ,  $\boldsymbol{\omega}$ ) regions. Black stars in Figs.1(b,c) represent background in the SF channels, which was calculated by linear combination of the SF cross-sections. Note, that an excellent flipping ratio (FR) of 29, corresponding to high beam polarisation of 0.93, was measured at (004) Bragg peak. As a result, the FR corrections in calculations of background and magnetic susceptibilities can be omitted. The SF background resembles the signal in NSFx channel, smoothly varies with the energy transfer and is well described by a polynomial function of the 4<sup>th</sup> order. Similar data were taken at (0.5,0.5,3), (0.5,0.5,5), (0.5,0.5,1.5) and (0.5,0.5,2). We always record the SFx and NSFx data but had to restrict the other SF channels to the most important positions.

Brief inspection of the spectra shown in Fig.1(b) confirms the two-component structure of the magnetic excitations appearing in the superconducting state [2,3]. One can distinguish the anisotropic low-E spin-resonance mode (SRM) clearly seen at about 4meV and the broad isotropic high-E SRM appearing at about 9 meV.

Fig. 2 shows Q scans in in-plane direction across the maxima of magnetic fluctuations at various energies and  $Q_L$  components recorded at 2K. The same scans were also recorded at 26K so that the sharpening of magnetic excitations can be taken into account for the determination of the total change of spectral weight in the magnetic excitations. The main information of our experiment is

shown in Fig. 3 comparing the data below and above the SC transition. Our measurements extend over the range where temperature changes occur and yield the difference in good statistics.



**Figure 2.** Q scans in in-plane direction across the maxima of magnetic fluctuations at various energies and  $Q_L$  components performed at T=2K. SFx and NSFx were always recorded by the SFy and SFz measurements were restricted to the zone centers. The same scans were also recorded at 26K.



**Figure 3.** Comparison of the energy scans (SFx data) taken at 2 and 26K. The range of the measurements covers the energies where SC induced changes occur. And in spite of applying polarization analysis high statistics could be achieved.

In conclusion the analysis of magnetic excitations in Ba(Fe<sub>0.94</sub>Co<sub>0.06</sub>)<sub>2</sub>As<sub>2</sub> by polarized INS results in a fully characterization of the spectral weight as function of energy, width and  $q_L$  dependence for both temperatures. By measuring SFy and SFz at characteristic points we can model the anisotropic components to reliably determine the change in exchange energy.

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